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[illegible]

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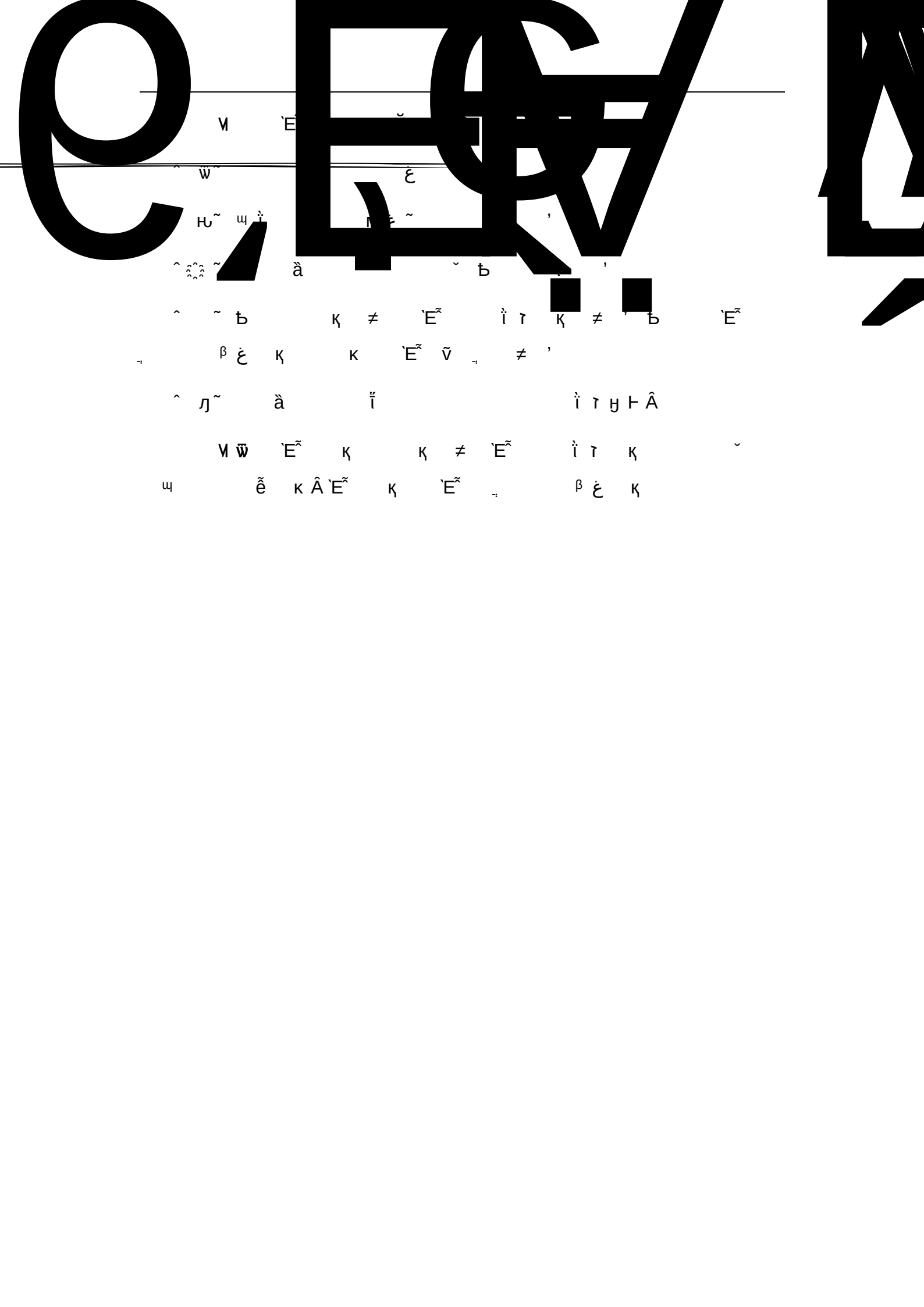
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 $\hat{\mathfrak{K}} \sim$ $\grave{\neq}$ $\grave{\neq}$ τ Ψ $\grave{\neq}$ $\vdash$ $\mathfrak{z}$ $\vdash$ $\downarrow$ $\acute{\neq}$
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 $\text{'E}^{\sim}$ κ $\grave{\neq}$ $\mathbb{L}_{\neg}$ $\mathfrak{b}$ κ $\text{'E}^{\sim}$ $\mathbb{H}$ $\mathfrak{p}$ $\text{'E}^{\sim}$ $\mathbb{H}$ $\vdash$ $\sim$
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 $\grave{\neq}$ $\grave{\neq}$ τ Ψ $\acute{\neq}$ $\vdash$ τ τ $\mathbb{G}$ $\mathbb{M}$
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 $\hat{\hat{\hat{\mathfrak{z}}}}$ κ Ψ $\bar{\mathbb{W}}$
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 $\hat{\bar{\mathbb{W}}} \sim$ $\mathfrak{e}$ $\acute{\neq}$ η κ $\mathbb{H}$ $\sim$ τ $\mathbb{H}$ $\mathbb{H}$,
 $\hat{\mathbb{H}} \sim$ $\%$ $\mathbb{H}$ Ψ $\mathfrak{p}$,
 $\hat{\hat{\hat{\mathfrak{z}}}} \sim$ $\%$ $\text{'E}^{\sim}$ $\neq$ $\mathbb{N}_0$ $\acute{\neq}$ $\mathbb{T}$,
 $\hat{\sim}$ $\text{'E}^{\sim}$ $\mathfrak{v}$ $\vdots$ 'Y $\mathfrak{b}$ $\mathfrak{F}$ $=$,
 $\hat{\mathbb{J}} \sim$ $\bar{\mathbb{U}}$ $\text{'E}^{\sim}$ $\tilde{\mathfrak{v}}$ $\vdash$ $\mathfrak{b}$ $\mathfrak{F}$ $=$,
 $\hat{\text{'E}} \sim$ $\text{'E}^{\sim}$ $\dots$ $\grave{\neq}$ $\mathbb{N}_0$ $\grave{\neq}$ $\grave{\neq}$ $\acute{\neq}$ $\text{'E}^{\sim}$ $\mathfrak{b}$ $\mathfrak{F}$ $=$,
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 °° 30% H ' ,
 ^ M w̄~ %o ĭ л H ' ,
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 ì ı H Â
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 ' ĭ °° □ v Ğ T v ~ γ b 4 4 ' ,
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̄w ̄u ̄v ̄y ̄g 0.05 ̄h ̄i ̄j ̄k ̄l ̄m ̄n ̄o ̄p ̄q ̄r ̄s ̄t ̄u ̄v ̄w ̄x ̄y ̄z ̄aa ̄ab ̄ac ̄ad ̄ae ̄af ̄ag ̄ah ̄ai ̄aj ̄ak ̄al ̄am ̄an ̄ao ̄ap ̄aq ̄ar ̄as ̄at ̄au ̄av ̄aw ̄ax ̄ay ̄az ̄ba ̄bb ̄bc ̄bd ̄be ̄bf ̄bg ̄bh ̄bi ̄bj ̄bk ̄bl ̄bm ̄bn ̄bo ̄bp ̄bq ̄br ̄bs ̄bt ̄bu ̄bv ̄bw ̄bx ̄by ̄bz ̄ca ̄cb ̄cc ̄cd ̄ce ̄cf ̄cg ̄ch ̄ci ̄cj ̄ck ̄cl ̄cm ̄cn ̄co ̄cp ̄cq ̄cr ̄cs ̄ct ̄cu ̄cv ̄cw ̄cx ̄cy ̄cz ̄da ̄db ̄dc ̄dd ̄de ̄df ̄dg ̄dh ̄di ̄dj ̄dk ̄dl ̄dm ̄dn ̄do ̄dp ̄dq ̄dr ̄ds ̄dt ̄du ̄dv ̄dw ̄dx ̄dy ̄dz ̄ea ̄eb ̄ec ̄ed ̄ee ̄ef ̄eg ̄eh ̄ei ̄ej ̄ek ̄el ̄em ̄en ̄eo ̄ep ̄eq ̄er ̄es ̄et ̄eu ̄ev ̄ew ̄ex ̄ey ̄ez ̄fa ̄fb ̄fc ̄fd ̄fe ̄ff ̄fg ̄fh ̄fi ̄fj ̄fk ̄fl ̄fm ̄fn ̄fo ̄fp ̄fq ̄fr ̄fs ̄ft ̄fu ̄fv ̄fw ̄fx ̄fy ̄fz ̄ga ̄gb ̄gc ̄gd ̄ge ̄gf ̄gg ̄gh ̄gi ̄gj ̄gk ̄gl ̄gm ̄gn ̄go ̄gp ̄gq ̄gr ̄gs ̄gt ̄gu ̄gv ̄gw ̄gx ̄gy ̄gz ̄ha ̄hb ̄hc ̄hd ̄he ̄hf ̄hg ̄hh ̄hi ̄hj ̄hk ̄hl ̄hm ̄hn ̄ho ̄hp ̄hq ̄hr ̄hs ̄ht ̄hu ̄hv ̄hw ̄hx ̄hy ̄hz ̄ia ̄ib ̄ic ̄id ̄ie ̄if ̄ig ̄ih ̄ij ̄ik ̄il ̄im ̄in ̄io ̄ip ̄iq ̄ir ̄is ̄it ̄iu ̄iv ̄iw ̄ix ̄iy ̄iz ̄ja ̄jb ̄jc ̄jd ̄je ̄jf ̄jg ̄jh ̄ji ̄jj ̄jk ̄jl ̄jm ̄jn ̄jo ̄jp ̄jq ̄jr ̄js ̄jt ̄ju ̄jv ̄jw ̄jx ̄jy ̄jz ̄ka ̄kb ̄kc ̄kd ̄ke ̄kf ̄kg ̄kh ̄ki ̄kj ̄kk ̄kl ̄km ̄kn ̄ko ̄kp ̄kq ̄kr ̄ks ̄kt ̄ku ̄kv ̄kw ̄kx ̄ky ̄kz ̄la ̄lb ̄lc ̄ld ̄le ̄lf ̄lg ̄lh ̄li ̄lj ̄lk ̄ll ̄lm ̄ln ̄lo ̄lp ̄lq ̄lr ̄ls ̄lt ̄lu ̄lv ̄lw ̄lx ̄ly ̄lz ̄ma ̄mb ̄mc ̄md ̄me ̄mf ̄mg ̄mh ̄mi ̄mj ̄mk ̄ml ̄mm ̄mn ̄mo ̄mp ̄mq ̄mr ̄ms ̄mt ̄mu ̄mv ̄mw ̄mx ̄my ̄mz ̄na ̄nb ̄nc ̄nd ̄ne ̄nf ̄ng ̄nh ̄ni ̄nj ̄nk ̄nl ̄nm ̄nn ̄no ̄np ̄nq ̄nr ̄ns ̄nt ̄nu ̄nv ̄nw ̄nx ̄ny ̄nz ̄oa ̄ob ̄oc ̄od ̄oe ̄of ̄og ̄oh ̄oi ̄oj ̄ok ̄ol ̄om ̄on ̄oo ̄op ̄oq ̄or ̄os ̄ot ̄ou ̄ov ̄ow ̄ox ̄oy ̄oz ̄pa ̄pb ̄pc ̄pd ̄pe ̄pf ̄pg ̄ph ̄pi ̄pj ̄pk ̄pl ̄pm ̄pn ̄po ̄pp ̄pq ̄pr ̄ps ̄pt ̄pu ̄pv ̄pw ̄px ̄py ̄pz ̄qa ̄qb ̄qc ̄qd ̄qe ̄qf ̄qg ̄qh ̄qi ̄qj ̄qk ̄ql ̄qm ̄qn ̄qo ̄qp ̄qq ̄qr ̄qs ̄qt ̄qu ̄qv ̄qw ̄qx ̄qy ̄qz ̄ra ̄rb ̄rc ̄rd ̄re ̄rf ̄rg ̄rh ̄ri ̄rj ̄rk ̄rl ̄rm ̄rn ̄ro ̄rp ̄rq ̄rr ̄rs ̄rt ̄ru ̄rv ̄rw ̄rx ̄ry ̄rz ̄sa ̄sb ̄sc ̄sd ̄se ̄sf ̄sg ̄sh ̄si ̄sj ̄sk ̄sl ̄sm ̄sn ̄so ̄sp ̄sq ̄sr ̄ss ̄st ̄su ̄sv ̄sw ̄sx ̄sy ̄sz ̄ta ̄tb ̄tc ̄td ̄te ̄tf ̄tg ̄th ̄ti ̄tj ̄tk ̄tl ̄tm ̄tn ̄to ̄tp ̄tq ̄tr ̄ts ̄tt ̄tu ̄tv ̄tw ̄tx ̄ty ̄tz ̄ua ̄ub ̄uc ̄ud ̄ue ̄uf ̄ug ̄uh ̄ui ̄uj ̄uk ̄ul ̄um ̄un ̄uo ̄up ̄uq ̄ur ̄us ̄ut ̄uu ̄uv ̄uw ̄ux ̄uy ̄uz ̄va ̄vb ̄vc ̄vd ̄ve ̄vf ̄vg ̄vh ̄vi ̄vj ̄vk ̄vl ̄vm ̄vn ̄vo ̄vp ̄vq ̄vr ̄vs ̄vt ̄vu ̄vv ̄vw ̄vx ̄vy ̄vz ̄wa ̄wb ̄wc ̄wd ̄we ̄wf ̄wg ̄wh ̄wi ̄wj ̄wk ̄wl ̄wm ̄wn ̄wo ̄wp ̄wq ̄wr ̄ws ̄wt ̄wu ̄wv ̄ww ̄wx ̄wy ̄wz ̄xa ̄xb ̄xc ̄xd ̄xe ̄xf ̄xg ̄xh ̄xi ̄xj ̄xk ̄xl ̄xm ̄xn ̄xo ̄xp ̄xq ̄xr ̄xs ̄xt ̄xu ̄xv ̄xw ̄xx ̄xy ̄xz ̄ya ̄yb ̄yc ̄yd ̄ye ̄yf ̄yg ̄yh ̄yi ̄yj ̄yk ̄yl ̄ym ̄yn ̄yo ̄yp ̄yq ̄yr ̄ys ̄yt ̄yu ̄yv ̄yw ̄yx ̄yy ̄yz ̄za ̄zb ̄zc ̄zd ̄ze ̄zf ̄zg ̄zh ̄zi ̄zj ̄zk ̄zl ̄zm ̄zn ̄zo ̄zp ̄zq ̄zr ̄zs ̄zt ̄zu ̄zv ̄zw ̄zx ̄zy ̄zz ̄aa ̄ab ̄ac ̄ad ̄ae ̄af ̄ag ̄ah ̄ai ̄aj ̄ak ̄al ̄am ̄an ̄ao ̄ap ̄aq ̄ar ̄as ̄at ̄au ̄av ̄aw ̄ax ̄ay ̄az ̄ba ̄bb ̄bc ̄bd ̄be ̄bf ̄bg ̄bh ̄bi ̄bj ̄bk ̄bl ̄bm ̄bn ̄bo ̄bp ̄bq ̄br ̄bs ̄bt ̄bu ̄bv ̄bw ̄bx ̄by ̄bz ̄ca ̄cb ̄cc ̄cd ̄ce ̄cf ̄cg ̄ch ̄ci ̄cj ̄ck ̄cl ̄cm ̄cn ̄co ̄cp ̄cq ̄cr ̄cs ̄ct ̄cu ̄cv ̄cw ̄cx ̄cy ̄cz ̄da ̄db ̄dc ̄dd ̄de ̄df ̄dg ̄dh ̄di ̄dj ̄dk ̄dl ̄dm ̄dn ̄do ̄dp ̄dq ̄dr ̄ds ̄dt ̄du ̄dv ̄dw ̄dx ̄dy ̄dz ̄ea ̄eb ̄ec ̄ed ̄ee ̄ef ̄eg ̄eh ̄ei ̄ej ̄ek ̄el ̄em ̄en ̄eo ̄ep ̄eq ̄er ̄es ̄et ̄eu ̄ev ̄ew ̄ex ̄ey ̄ez ̄fa ̄fb ̄fc ̄fd ̄fe ̄ff ̄fg ̄fh ̄fi ̄fj ̄fk ̄fl ̄fm ̄fn ̄fo ̄fp ̄fq ̄fr ̄fs ̄ft ̄fu ̄fv ̄fw ̄fx ̄fy ̄fz ̄ga ̄gb ̄gc ̄gd ̄ge ̄gf ̄gg ̄gh ̄gi ̄gj ̄gk ̄gl ̄gm ̄gn ̄go ̄gp ̄gq ̄gr ̄gs ̄gt ̄gu ̄gv ̄gw ̄gx ̄gy ̄gz ̄ha ̄hb ̄hc ̄hd ̄he ̄hf ̄hg ̄hh ̄hi ̄hj ̄hk ̄hl ̄hm ̄hn ̄ho ̄hp ̄hq ̄hr ̄hs ̄ht ̄hu ̄hv ̄hw ̄hx ̄hy ̄hz ̄ia ̄ib ̄ic ̄id ̄ie ̄if ̄ig ̄ih ̄ij ̄ik ̄il ̄im ̄in ̄io ̄ip ̄iq ̄ir ̄is ̄it ̄iu ̄iv ̄iw ̄ix ̄iy ̄iz ̄ja ̄jb ̄jc ̄jd ̄je ̄jf ̄jg ̄jh ̄ji ̄jj ̄jk ̄jl ̄jm ̄jn ̄jo ̄jp ̄jq ̄jr ̄js ̄jt ̄ju ̄jv ̄jw ̄jx ̄jy ̄jz ̄ka ̄kb ̄kc ̄kd ̄ke ̄kf ̄kg ̄kh ̄ki ̄kj ̄kk ̄kl ̄km ̄kn ̄ko ̄kp ̄kq ̄kr ̄ks ̄kt ̄ku ̄kv ̄kw ̄kx ̄ky ̄kz ̄la ̄lb ̄lc ̄ld ̄le ̄lf ̄lg ̄lh ̄li ̄lj ̄lk ̄ll ̄lm ̄ln ̄lo ̄lp


$$\hat{\alpha} \quad \sim \quad \tilde{E} \quad \dot{\gamma} \quad \sim \quad \tilde{F} \quad \dot{\gamma} \quad \hat{A}$$

Κ Ψ 9

$$\eta \chi^2_{\text{red}} = H_0 \psi \quad \rho = 9 \quad \kappa \psi \hat{A}$$
$$\eta_r = H_0 \int_0^{\eta} \frac{d\eta'}{H(\eta')} = H_0 \int_0^{\eta} \frac{d\eta'}{H_0(1 + h_0 \eta')} = \chi \psi \hat{A}$$

$H_9 \quad \chi \quad \kappa \quad \psi \quad \sim \quad H\psi \quad \grave{a} \quad \xi$

U M p F B 9 X K Ψ Й

$\hat{A} \in \Psi(\Omega) \quad \chi \in \Psi(\sim) \quad \mathfrak{b} \in \Psi(\cup) \quad \mathfrak{p} \in \Psi(\cap)$
 $\chi \in \Psi(\sim) \quad \mathfrak{b} \in \Psi(\cup) \quad \mathfrak{p} \in \Psi(\cap) \quad \hat{A} \in \Psi(\Omega)$

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h Hψ ƒ Â Hψ à Ğ ˘ ∫

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$$\begin{array}{ccccccc} \text{H}\psi & \square & 9 & x & x & \neq & \hat{\Lambda} & \Psi & \sim & r & b & \neq & \text{H}\psi = & U & \eta & \rho & \bar{U} & \neq_9 \\ k & \psi & & & & & & & & & T & \wedge & & \dot{i} & \sim & & & & & & 2 & \psi & \square & \hat{A} \end{array}$$

H Ψ b □ 9 χ κ ψ r ∅ κ ψ κ λ ρ ũ w x

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 κ ψ Τ ↓ Ъ ŭ Â w̄ ̸ ŭ ~ 9
 l 9 || H ω Ъ 'E ρ l Â
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 'E M л 'Ẽ Η ψ ξ ῖ γ 9 ŭ ~ Ḡ κ ψ
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 'E M ≠ ω κ ~ ̸ ψ ~ ̸ ~ M ῖ γ
 ῖ M ϑ ' γ γ ~ ̸ ψ ~ ̸ ~ M
 ϑ à κ ῖ Â
 κ γ γ ~ ̸ ψ Â γ
 ~ ̸ ψ ~ ̸ ~ M à ῖ ῖ γ
 ' γ ~ ̸ ψ ~ γ ~ ̸ ~ M à κ γ β

$\eta \quad \omega \quad \mathfrak{F} \dot{\iota} \quad \mathfrak{Y} \quad \mathfrak{Y} \hat{A}$
 $\mathfrak{E} \mathfrak{M} \mathfrak{H} \quad \kappa \mathfrak{F} \dot{\iota} \quad \mathfrak{r} \quad \mathfrak{F} \quad \kappa \Psi \quad \mathfrak{Y} \quad \mathfrak{Y} \downarrow$
 $\rho \quad \mathfrak{r}$
 $\hat{\omega} \sim \quad \mathfrak{O} \quad \mathfrak{O} \quad \grave{a} \quad \mathfrak{E}^{\sim} \quad \mathfrak{M} \quad \neq \quad \xi \quad \mathfrak{r}$
 $\hat{\mathfrak{H}} \sim \quad \eta \quad \mathfrak{O} \quad \mathfrak{O} \quad \mathfrak{r}$
 $\hat{\mathfrak{H}} \sim \quad \kappa \quad \dot{\iota} \quad \mathfrak{r} \quad \mathfrak{r} \quad \downarrow \sim \quad \kappa \Psi \quad \bar{\omega} \quad \mathfrak{H} \quad \grave{a}$
 $\mathfrak{I}$
 $\hat{\mathfrak{r}} \sim \quad \mathfrak{Y} \quad \mathfrak{U} \quad \xi \quad \mathfrak{r}$
 $\hat{\mathfrak{L}} \sim \quad \mathfrak{O}^{\wedge} \quad \sim \hat{A} \quad \mathfrak{C} \quad \kappa \sim \quad \mathfrak{V} \quad \mathfrak{Y} \beta$
 $\mathfrak{Y} \quad \hat{A}$
 $\mathfrak{E} \mathfrak{M} \mathfrak{J} \quad \eta \quad \mathfrak{Y} \quad \mathfrak{r} \quad \mathfrak{r}$
 $\mathfrak{Y} \quad \dot{\iota} \quad \mathfrak{r} \quad \mathfrak{D} \quad \mathfrak{E} \quad \hat{A} \quad \mathfrak{E} \quad \mathfrak{Y} \quad \dot{\iota} \quad \mathfrak{r} \quad \mathfrak{D}^{\sim}$
 $\xi \quad \eta \quad \mathfrak{Y} \quad \mathfrak{G} \mathfrak{E}^{\sim} \quad \delta \quad \mathfrak{O} \quad \Psi \quad \mathfrak{T} \quad \dot{\iota} \quad \mathfrak{r} \quad \hat{A}$
 $\neq \mathfrak{M} \quad \mathfrak{F} \quad \Psi \quad \mathfrak{Z} \quad \Psi \quad \mathfrak{Y} \quad \mathfrak{E}^{\sim} \quad \mathfrak{L} \mathfrak{b} \hat{A} \Psi \quad \mathfrak{Y}$
 $\check{\alpha} \mathfrak{V} \Psi \quad \mathfrak{Z} \quad \mathfrak{O}^{\wedge} \quad \mathfrak{Y} \beta \mathfrak{O} \quad \sim \grave{a} \quad \mathfrak{M} \quad \sim \quad \grave{a} \quad \eta \quad =$
 $\mathfrak{M} \quad \grave{a} \quad \eta \quad \mathfrak{O}^{\wedge} \quad \mathfrak{Y} \beta \mathfrak{O} \quad \sim \quad \mathfrak{H} \quad \hat{A}$
 $\neq \mathfrak{M} \bar{\omega} \quad \mathfrak{O} \quad \xi \mathfrak{E}^{\sim} \quad \omega \quad \mathfrak{L}$
 $\kappa \mathfrak{O} \mathfrak{Y} \mathfrak{r} \quad \kappa \quad \mathfrak{O}^{\wedge} \quad \mathfrak{O} \quad \sim \quad \mathfrak{I} \quad \mathfrak{I}$
 $= \quad \mathfrak{M} \quad \hat{A} \quad \Psi \quad \mathfrak{H} \quad \mathfrak{F} \quad \Psi \quad \kappa \xi \eta \quad \mathfrak{I}$
 $= \quad \mathfrak{M} \quad \mathfrak{H} \quad \mathfrak{F} \quad \Psi \quad \hat{A}$
 $\neq \mathfrak{M} \mathfrak{H} \quad \kappa \Psi \quad \mathfrak{H} \quad \grave{a} \quad \mathfrak{Z} \downarrow \quad \Psi \quad \sim \quad \mathfrak{H} \quad \grave{a}$
 $\mathfrak{Z} \downarrow \quad \mathfrak{I} \quad \kappa \quad \hat{A}$
 $\neq \mathfrak{M} \mathfrak{H} \quad \kappa \Psi \quad \mathfrak{H} \quad \mathfrak{h} \quad \hat{A} \quad \mathfrak{H} \quad \mathfrak{b} \quad \mathfrak{r} \quad \mathfrak{b} \quad \mathfrak{r}$
 $\mathfrak{Y} \quad \mathfrak{H} \mathfrak{r} \quad \mathfrak{e} \quad \bar{\omega} \mathfrak{O} \quad \mathfrak{H} \mathfrak{h} \quad \hat{A}$
 $\mathfrak{Z} \Psi \quad \mathfrak{O} \quad \kappa \Psi^{\sim} \quad \mathfrak{Z} \Psi \mathfrak{O} \quad \mathfrak{H} \quad \hat{A} \quad \mathfrak{Z} \Psi \mathfrak{O}$
 $\mathfrak{b} \quad \mathfrak{r} \quad \mathfrak{b} \quad \mathfrak{r} \quad \mathfrak{Y} \quad \mathfrak{Z} \Psi \quad \mathfrak{Z} \mathfrak{r} \quad \mathfrak{e}$

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[illegible]

[illegible]

$\mathcal{H} \bar{R} \rightarrow \mathcal{O} \vee \hat{A}$
 $\mathcal{O} \rightarrow \mathcal{O} \vdash \dot{\mathcal{I}}$
 $\rightarrow 2$

$\dot{\mathcal{I}} \vdash \sim$
 $\rightarrow 2 \vee \mathcal{C}$
 $\hat{A} \sqcup$
 $\mathcal{O} \rightarrow \sim \gamma \mathcal{E}$
 $\mathcal{K} \vdash \dot{\mathcal{I}} \vee \mathcal{C} \rightarrow \mathcal{A}$
 $\neq \hat{A}$

$\hat{\mathcal{C}} \rightarrow \sim \mathcal{V} \mathcal{H} \Psi$
 $\mathcal{H} \bar{R} \rightarrow$
 $\mathcal{e} \hat{A}$
 $\mathcal{K} \Psi$
 $\mathcal{L} \rightarrow \mathcal{H}$

$\mathcal{K} \Psi$
 $\mathcal{K}^{\wedge} \rightarrow$
 $\mathcal{K} \mathcal{I} \rightarrow$
 $\mathcal{U} =$
 $\mathcal{C} \rightarrow \mathcal{K}$
 $\mathcal{E}^{\sim} \mathcal{M}$
 $\mathcal{E} \gamma \rightarrow \mathcal{K} \Psi$
 $\mathcal{e}^{\circ}$
 $\mathcal{H}_{\mathcal{I}}$
 $'$

$\wedge \mathcal{H} \sim \mathcal{K} \Psi$
 $\mathcal{K}^{\wedge} \rightarrow$
 $\mathcal{K} \mathcal{I} \rightarrow \sim$
 $\mathcal{U} =$
 $\mathcal{N} \mathcal{O} \rightarrow \mathcal{G} \rightarrow \mathcal{e} \mathcal{X} \bar{R} \rightarrow \hat{A} \bar{\mathcal{W}} \mathcal{K} \Psi$
 $\mathcal{K}^{\wedge} \rightarrow$
 $\mathcal{K} \mathcal{I} \rightarrow \sim$

$= \sim \gamma \mathcal{T} \mathcal{A}$
 $\bar{\mathcal{W}} \beta \bar{R} \rightarrow \sim \mathcal{Z}^{\sim} \gamma$
 $\mathcal{B}$
 $\beta \bar{R} \rightarrow \sim \bar{\mathcal{W}} \rightarrow \mathcal{K} \mathcal{H}$
 $\bar{R} \rightarrow \mathcal{N} \mathcal{O}$
 $=$
 $\mathcal{B}$
 $\mathcal{U}$
 $= \sim \mathcal{P}^{\sim} \gamma \vee \mathcal{G}$
 $\mathcal{U} = \sim$
 $\mathcal{N} \mathcal{O} \rightarrow \mathcal{C} \rightarrow \mathcal{K}$
 $\mathcal{N} \mathcal{O}$
 $=$
 $'$
 $=$

$\hat{\mathcal{C}} \rightarrow \sim \bar{R} \rightarrow$
 $\mathcal{G} \rightarrow$
 $\sim \mathcal{M}$
 $\mathcal{e} \rightarrow \dagger \mathcal{K} \bar{\mathcal{W}} \bar{R}$
 $\rightarrow \gamma$
 $\mathcal{C} \rightarrow \mathcal{C} \rightarrow \mathcal{C}$
 $\hat{A}$
 $\square \rightarrow \dagger \rightarrow \beta$
 $\square$
 $\bar{R} \rightarrow \sim \mathcal{K} \Psi \mathcal{I} \rightarrow \mathcal{C} \rightarrow \mathcal{K}$
 $\mathcal{e}^{\circ}$
 $\mathcal{H}'$

$\wedge \rightarrow \sim \bar{R} \rightarrow$
 $\mathcal{G}$
 $\mathcal{H} \rightarrow$
 $\sim \dagger \mathcal{K} \bar{\mathcal{W}} \bar{R} \rightarrow \gamma$
 $\mathcal{C} \rightarrow \mathcal{C} \rightarrow \mathcal{C}$
 $\hat{A}$

$\wedge \mathcal{I} \sim \bar{\mathcal{W}}$
 $\rightarrow$
 $\rightarrow \mathcal{K} \Psi$
 $\mathcal{K}^{\wedge} \rightarrow$
 $\mathcal{K} \mathcal{I}$
 $\rightarrow \sim$

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 □ w̄ = ɤ = γ w̄ ɥ %o Â

ЖМ w̄ к ψ ŭ O = Â

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 ɾ Â

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ЖМ ɹ ψ h ʱ = = к v ʱ ʱ γ
 ' ψ h ʱ ʱ ɤ ψ к к ɣ
 ψ h ʱ ʱ = U ɥ ʱ
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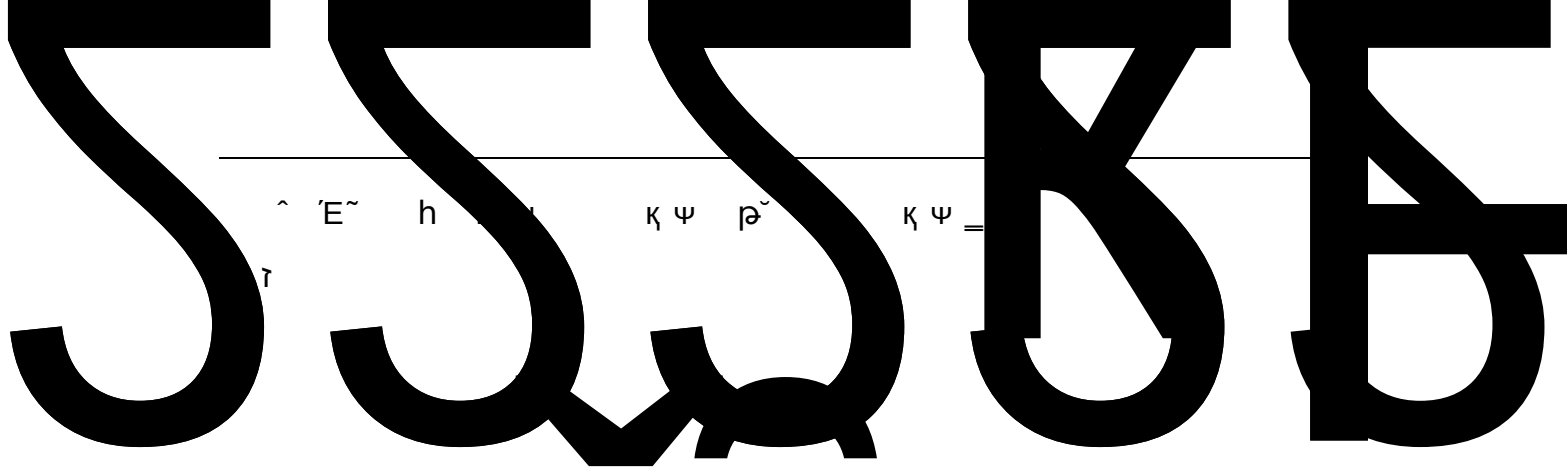
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NOTES



$$\hat{H} \sim B \hat{a}^\dagger H \psi_{\equiv},$$

$\bar{w}$ u v $u\psi\psi$ γ η ρ
 $\bar{w}$ u ξ
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 u i
 $\bar{u}$ $\bar{u}$ $\hat{A}$
 $\bar{w}$ u v $\bar{w}$ $u\psi\psi$ v $u\bar{u}$ e $\hat{A}$ $u\psi b$
 η r u v i z $\hat{A}$
 $u\psi$ $\bar{G}u$ η r u v $\bar{u}$
 $u\psi\psi$ $2/3$ γ u $\hat{A}$
 $u\psi$ $=$ $\bar{w}$ $\bar{w}$ $\hat{A}$
 u u $u\bar{b}$ $u\psi\psi$ $=$ u i o z u
 u i h $u\psi\eta$ ρ $\hat{A}$ $u\bar{b}$
 a $\bar{z}$ b η i r u a $=$ $\hat{A}$ $u\psi\psi$ v
 $u\bar{u}$ v e $u\psi\psi$ b $=$ u
 $\hat{A}$ $u\psi\psi$ u b k $u\bar{u}$ ψ $\hat{A}$

ℋΨΨ

$\mathfrak{H} \vdash \tilde{a} \setminus \mathfrak{X} \mathfrak{H} \vdash \tilde{}$ $\mathfrak{Y} \downarrow \quad ,$

$\wedge \quad \bar{w} \sim \tilde{a} \mathfrak{b} \quad \mathfrak{H} \Psi = \quad \mathfrak{H} \quad \bar{u} \quad ,$

$\wedge \quad \mathfrak{H} \sim \quad \tilde{E} \quad \mathfrak{b} \quad \quad \mathfrak{k} \tilde{a} \quad \quad \mathfrak{L} \quad \tilde{a} \quad \mathfrak{H} \tilde{a} \quad \quad \mathfrak{L} \quad 2 \mathfrak{H}$

$\neq \quad \parallel \quad \mathfrak{H} \quad \quad \sim \quad \bar{G} \quad \mathfrak{T} \quad \quad \mathfrak{K}_{\mathfrak{m}} \quad ,$

$\wedge \quad \mathfrak{z} \mathfrak{z} \mathfrak{z} \sim \quad \tilde{E} \quad \quad \bar{u} \quad \quad \mathfrak{L} \mathfrak{F} \mathfrak{z} \tilde{a} \quad \quad \sim \quad \mathfrak{B} \quad \quad \mathfrak{I} \quad \mathfrak{H} \Psi = \quad ,$

$\wedge \quad \sim \quad \tilde{a} \quad \quad \tilde{a} \mathfrak{T} \quad \quad \Psi \quad \quad \mathfrak{E} \quad \quad \mathfrak{i} \mathfrak{r} \quad \hat{A}$

$\bar{w} \mathfrak{z} \mathfrak{z} \mathfrak{z} \vee \bar{w} \quad \quad \mathfrak{H} \quad \mathfrak{a} \mathfrak{Y} \downarrow \neq \quad ,$

$\wedge \quad \bar{w} \sim \quad \quad \mathfrak{T} : \quad \quad \sim \quad \tilde{E} \quad \mathfrak{i} \mathfrak{r} \mathfrak{H} \quad \quad \tilde{a} \mathfrak{r} \quad ,$

$\wedge \quad \mathfrak{H} \sim \mathfrak{h} \quad \mathfrak{H} \Psi \quad \mathfrak{e} \quad \mathfrak{X} \quad \mathfrak{K} \Psi'$

$\wedge \quad \mathfrak{z} \mathfrak{z} \mathfrak{z} \sim \quad \mathfrak{e} \quad \quad \mathfrak{H} \Psi \Psi \quad ,$

$\wedge \quad \sim \mathfrak{w} \quad \tilde{E} \quad \mathfrak{h} \quad \mathfrak{K} \quad \quad \mathfrak{K} \neq'$

$\wedge \quad \mathfrak{J} \sim \quad \sim \quad \tilde{E} \quad \quad \mathfrak{T} \quad \mathfrak{K} \quad \mathfrak{H} \quad \bar{u} \quad ,$

$\wedge \quad \tilde{E} \sim \quad \tilde{a} \quad \quad \tilde{a} \mathfrak{T} \quad \quad \Psi \quad \quad \mathfrak{E} \quad \quad \mathfrak{i} \mathfrak{r} \quad \hat{A}$

$\quad \mathfrak{H} \quad \mathfrak{a} \parallel \quad \bar{w} \quad \mathfrak{z} \mathfrak{z} \mathfrak{z} \quad \downarrow \quad \sim \quad \quad \mathfrak{H} \mathfrak{r} \quad \mathfrak{H} \quad \mathfrak{I}$

$\square \quad \hat{A}$

$\quad \mathfrak{H} \quad \mathfrak{a} \quad \bar{w} \quad \downarrow \quad \sim \quad \tilde{E} \quad \mathfrak{i} \quad \hat{A} \mathfrak{z} \quad \mathfrak{b}$

$\mathfrak{a} \quad \sim \quad \tilde{E} \quad \quad \mathfrak{i} \mathfrak{r} \quad , \quad \mathfrak{E} \quad \hat{A}$

$\bar{w} \mathfrak{z} \mathfrak{z} \mathfrak{z} \vee \mathfrak{H} \quad \mathfrak{Y} \downarrow \mathfrak{H} \quad \quad \tilde{E} \quad \mathfrak{H} \mathfrak{r} \quad \quad \mathfrak{H} \quad \mathfrak{I} \quad \square \quad \mathfrak{U} \sim$

$\mathfrak{H} \Psi \quad ,$

$\wedge \quad \bar{w} \sim \quad \quad \mathfrak{r} \quad \mathfrak{r} \quad ,$

$\wedge \quad \mathfrak{H} \sim \quad \tilde{E} \quad \mathfrak{i} \quad \mathfrak{r} \quad \mathfrak{i} \quad \quad \tilde{\omega} \quad ,$

$\wedge \quad \mathfrak{z} \mathfrak{z} \mathfrak{z} \sim \quad \quad \mathfrak{z} \mathfrak{z} \mathfrak{z} \quad \tilde{E} \quad \mathfrak{H} \Psi \quad \quad \mathfrak{b} \mathfrak{F} = \quad \mathfrak{i} \quad \bar{u} \quad ,$

$\wedge \quad \sim \quad \tilde{a} \quad \quad \tilde{a} \mathfrak{T} \quad \quad \Psi \quad \quad \mathfrak{E} \quad \quad \mathfrak{i} \mathfrak{r} \mathfrak{H} \quad \hat{A}$

$\bar{w} \approx \mathbb{M} \neq$ 2ψ $\circ$ $\bar{w} \psi \hat{A} \mathbb{H} O \check{\gamma} \gamma$
 $2 \sim$ $\circ$ γ $\sim \gamma \circ$ $\chi \psi \hat{A}$ $2 \psi \psi$
 $\approx \mathbb{N} \mathbb{H} \mathbb{H} \gamma \gamma$ $2 \mathbb{F}$ $\sim e \hat{A}$

$2 \psi \mathbb{b} \mathbb{F} = \sim$ $2 \psi 2 \mathbb{V} \hat{A}$
 $2 \psi = = \sim \bar{w} \bar{w} \hat{A}$
 $2 \psi = \mathbb{L} \mathbb{b} \psi \sim \mathbb{F} \psi$ $2 \psi 2$
 $\psi \gamma \mathbb{O} \hat{A}$

$2 \psi \mathbb{b} \mathbb{H} \psi \mathbb{L} \hat{A}$

$\bar{w} \approx \mathbb{M} \mathbb{H} \mathbb{E}^{\sim} \mathbb{H} \psi$ $2 \psi \grave{a} \mathbb{b}$ $2 \psi \gamma \check{\gamma}$
 $O 2 \psi \check{\gamma} \mathbb{F}$ $2 \psi \mathbb{W}$ $\mathbb{E} \mathbb{H} \psi$ $\sim \mathbb{F} 2$
 ψ $\mathbb{H} \psi = \hat{A} \mathbb{F}$ $2 \psi \mathbb{b} \mathbb{H} \psi \mathbb{L} \hat{A}$

$2 \psi \approx \mathbb{J} O \mathbb{H} \sim \mathbb{E}^{\sim} \mathbb{H} \mathbb{K} \circ$ γ γ

$\mathbb{b} 2 \psi \approx O \mathbb{H} \sim \check{\gamma} \mathbb{T} \mathbb{H} \mathbb{V} \sim$
 $\mathbb{H} \mathbb{K} \circ \gamma$

$O 2 \psi \approx O \mathbb{H} \sim \check{\gamma} \mathbb{T} \mathbb{H} \mathbb{V} \sim \mathbb{H} \mathbb{K}$
 $\circ \gamma \hat{A}$

$\bar{w} \approx \mathbb{M} \mathbb{X}$ $2 \psi \mathbb{h} \mathbb{L} \mathbb{E}^{\sim} \mathbb{U} \mathbb{E}$
 $= \mathbb{h} \mathbb{H} \psi \mathbb{F}_{\mathbb{H}} \hat{A}$

$\bar{w} \mathbb{M} O 2 \psi \mathbb{H} \grave{a} \circ 2 \circ \mathbb{E}$
 $\sim \mathbb{H} \grave{a} \circ 2 \circ \check{\gamma} \check{\gamma} \mathbb{K}$ $\grave{a} \sim \mathbb{Y} \downarrow \mathbb{H}$
 $\mathbb{h} \mathbb{H} \psi \mathbb{F}$ γ

$\wedge \bar{w} \sim O \mathbb{K} \check{\gamma} \mathbb{H}'$

$\wedge \mathbb{H} \sim \mathbb{K} \circ 2'$

$\wedge \approx \sim \grave{a} \grave{a} \mathbb{T} \psi \mathbb{E} \check{\gamma} \mathbb{H} \hat{A}$

$\mathbb{H} \psi O 2 \psi \eta \sim \mathbb{H} \psi =$

[illegible]

[illegible]

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[illegible]

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$\bar{G}$ $'$

6 à $'E^{\sim}$ $\sim$ $\bar{w}$ ρ $\mathfrak{F}$ $\frac{7}{8}\sim$

N_0 $\sim$ $'E^{\sim}$ $'E^{\sim}$ $\hat{A}$

$\mathfrak{F}$ $\frac{7}{8}$ $'$ $'E^{\sim}$ $\mathbb{M} \cup \mathfrak{Q}$ ρ $\grave{a}$ $\bar{y}$ $^{\circ\circ}$

$'$ $\mathfrak{F}$ $|$ $'E^{\sim}$ $\bar{w}$ $|$ $^{\circ\circ}$ 50% $\mathfrak{f}$

$\mathfrak{H}$ $5,000'$ $"H'$ $'E^{\sim}$ $\mathbb{M} \cup \mathfrak{Q}$ ρ $\grave{a}$ $\bar{y}$

$^{\circ\circ}$ $'$ $\mathfrak{F}$ $|$ $'E^{\sim}$ $\bar{w}$ $^{\circ\circ}$ 30% $\hat{A}$

$\ddot{U}$ $\neq$ $\mathfrak{D}'$ $'E^{\sim}$ $\neq$ $\grave{a}\sim$ $^{\perp} N_0$ $\neq$ ψ $'$ $H \cup \Psi$ ψ $'E$

$\sim$ $\acute{I}$ $\grave{a}$ $|$ $^{\circ\circ}$ $\grave{a}$ $\mathfrak{E}$ $\mathfrak{b}$ $'E^{\sim}$ $\mathfrak{b}$ $\mathbb{Y}$ $\mathfrak{v}\mathfrak{h}$

$\S \Theta$ $\grave{a}$

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